





Fig. 1.12. Shechtman's notebook, in which the discovery of the icosahedral phase was written down: April 1982. (Courtesy Dan Shechtman)







Ó

























Fig. 2.1 Portions of orbits of groups generated by three vectors in E^2 . In all three examples, $\vec{b_1} = (1,0)$ and $\vec{b_2} = (\cos(2\pi/5), \sin(2\pi/5))$. (a) $\vec{b_3} = \frac{1}{5}(3 + 4\cos(2\pi/5))$, $4\sin(2\pi/5)$); (b) $\vec{b_3} = (\cos(4\pi/5), \sin(4\pi/5))$; (c) $\vec{b_3} = (\sqrt{2}, \sqrt{3})$.









Fig. 5.5 A first corona and a vertex star.



Fig. 5.4 The patch determined by $\overline{B}_x(r)$.





(a)

(b)







(d)

(c)











-







(c)



el Nasel NL

		1
		ļ





























(d)









Fig. 6.20 The Penrose cross-sections of K. (a) Level 1. The shaded region is a section of one of the five dodecahedra that share the vertex at level 0. (b) Level 2. The darker region is the section of the same dodecahedron as in (a); the lighter region is the section of a dodecahedron with a vertex at level 5. (These are the blue and red dodecahedra of Plate 2.)



- - $\left\{ \right\}$



Fig. 4.5. The diffraction pattern of the Penrose tiling. The radius of the spots is proportional to the intensity. The pattern has ten-fold symmetry.



Fig. 1.13. The six basis vectors of the icosahedral Fourier module (1,...,6) and their inverses form the vertices of an icosahedron. The twelve point to the faces of a dodecahedron. They form three mutually perpendicular rectangles with edge ratio τ ($\pm 1, \pm 2; \pm 3, \pm 6; \pm 4, \pm 5$).